

COMMENTS ON “THE GEOMETRY OF ANABELIOIDS”

SHINICHI MOCHIZUKI

May 2022

(1.) In the display of the paragraph immediately following Definition 1.1.10, “ $\zeta(j)$ ” should read “ $\zeta(i)$ ”.

(2.) In Proposition 2.1.1, (ii), “ $\overline{\mathfrak{Loc}}(X)$ ” should read “ $\overline{\mathfrak{Loc}}(\mathcal{X})$ ”. In Proposition 2.2.2, (ii), “ $\overline{\mathfrak{Loc}}_{\mathcal{Q}}(X)$ ” should read “ $\overline{\mathfrak{Loc}}_{\mathcal{Q}}(\mathcal{X})$ ”.

(3.) The equation “ $\Xi_{\mathcal{X}}^V = \tilde{\Xi}_{\mathcal{X}}^V \circ \Phi_{\mathcal{X}}^V$ ” in the final line of the statement of Theorem 2.4.2 should read “ $\tilde{\Xi}_{\mathcal{X}}^V = \Xi_{\mathcal{X}}^V \circ \Phi_{\mathcal{X}}^V$ ”.

(4.) In Definition 2.3.1, the word “irreducible” should read “connected”.

(5.) In Proposition 2.3.5, (i) (respectively, (ii)), it should be assumed that the fundamental group of every connected component of \mathcal{Q}' (respectively, \mathcal{Q}) is *countably (topologically) generated* — cf. Definition 2.3.1.

(6.) In Proposition 2.3.5, (vi), it should be assumed that \mathcal{X} is *connected*. Moreover, $\deg_{\mathcal{X}}$ is only defined on (nonempty) *connected objects* of $\mathfrak{Loc}(\mathcal{X})$ and in fact may be extended so as to be defined on (nonempty) *connected objects* of $\overline{\mathfrak{Loc}}(\mathcal{X})$.

(7.) In Proposition 2.3.6, (i) (respectively, (iii)), it should be assumed that $\text{Isog}(G)$ (respectively, A) is *countably (topologically) generated* — cf. Definition 2.3.1.

(8.) In the situation of Proposition 2.3.6, we observe that it is easily verified that the natural inclusion $G \hookrightarrow \text{Isog}(G)$ is *relatively slim*, and hence that $\text{Isog}(G)$ is *slim* whenever it is *profinite* (i.e., as in the situation of Proposition 2.3.6, (i)).